

Energy Conservation in Sensor Networks through Selective Node Activation

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Problem definition

- Focus on the communication aspect of the network
 - Intermediate/peripheral nodes
 - To reduce power consumption in facilitating communication between source nodes and the Cluster-head
 - *No coverage consideration.*
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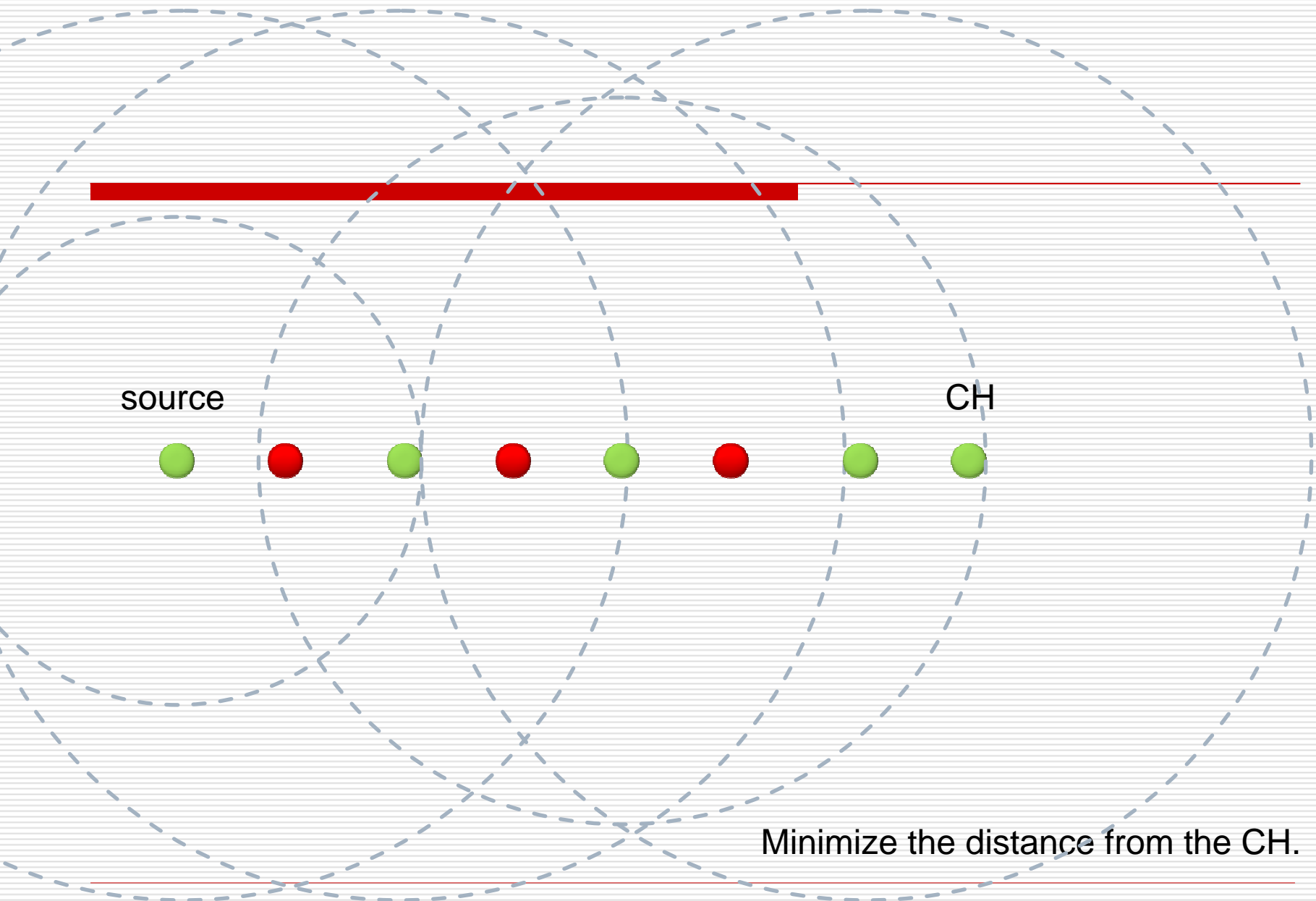
Assumptions

- One node has two states:
 - listening/inactive
 - Active

 - $L \ll T + R$
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Approach

- To eliminate the number of nodes participating in the network
 - Variable transmission range
 - i.e. Utilize a fixed fraction of its residual energy for each transmission.
 - Imposing a threshold
 - $[\Psi_{\min}, \Psi_{\max}]$
 - Activate node k if $\Psi_{\min} \leq \Psi_k < \Psi_{\max}$, otherwise deactivate node k
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source

CH

Minimize the distance from the CH.

Solution

□ Channel features

- Fading gain (channel distortion)
- Additive white Gaussian noise ($N(0, \sigma_{\eta}^2)$)

$$\Psi = 10 \log_{10} \left(\Omega G_t G_r \left[\frac{h_t h_r}{D^2} \right]^{\alpha} \right) \text{ dBm}$$

$$\mu_r^{(2)} = \Psi + \sigma_{\eta}^2$$

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- The average received power

$$\hat{\Psi} = \hat{\mu}_r^{(2)} - \sigma_\eta^2$$

- The number of samples

$$N \approx \left(\frac{\delta \sigma_z}{\epsilon} \right)^2$$

- $\Psi_{\min} = \Psi - \epsilon - \Delta_{\min}$
 - $\Psi_{\max} = \Psi + \epsilon + \Delta_{\max}$
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Network layout

□ Linear

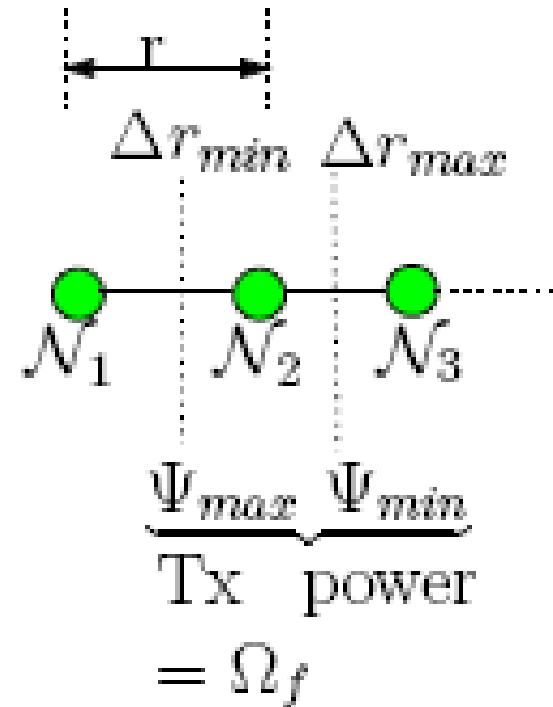
- $N_T^{\text{Lin}} = k$

□ Hexagon

- $N_T^{\text{Hex}} = 3k(k+1)$

$$\Delta r_{max} = \left(\frac{\Omega_f}{\Psi_{min}} \right)^{\frac{1}{4}}, \quad \Delta r_{min} = \left(\frac{\Omega_f}{\Psi_{max}} \right)^{\frac{1}{4}}$$

$$\begin{aligned} r &= \Delta r_{min} + \frac{1}{2} (\Delta r_{max} - \Delta r_{min}) \\ &= \frac{1}{2} (\Delta r_{max} + \Delta r_{min}) \end{aligned}$$



Cost

- The total cost and saving per transmission
 - L, T and R are energy consumed during Listen, Transmission and Receiving data.

$$C_{tot}^{SAT} = \sum_{\mathcal{H}} \mathcal{L}N_T^{Lin} + \sum_{\mathcal{H}} T + \sum_{\mathcal{H}-1} \mathcal{R}N_A^{Lin} \quad (18)$$

$$= (\mathcal{L}N_T^{Lin} + T) \frac{\mathcal{H}(\mathcal{H} + 1)}{2} + \mathcal{R}N_A^{Lin} \frac{\mathcal{H}(\mathcal{H} - 1)}{2}$$

$$S_{tot}^{SAT} = \sum_{\mathcal{H}-1} \mathcal{R}N_I = \mathcal{R}N_I^{Lin} \frac{\mathcal{H}(\mathcal{H} - 1)}{2}$$

Simulation

